

INTRODUCTION

Physics and Measurement

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Outline

- Physical Quantity
- Measurement of a Physical Quantity
- The Value of a physical Quantity
- Classification of Physical Quantities
- Dimension
- Units and System of Units
- Orders of Magnitude
- Dimensional Analysis
- Unit Conversion
- Uncertainty and Significant Figures

Physical Quantity

What is a physical quantity?

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□ A Physical Quantity:

➤ Any number used to describe a physical phenomenon, body or substance quantitatively. This number can be obtained by measurement and can be used in the mathematical equations of science and technology.

Example: A person measured the height of a building as 20 *m*. The number 20 represents the magnitude (the result of measurement of length). Here *m* (meter) refers to the unit which gives a meaning to the number.

i.e. The **value** of the physical quantity (**height**) = [Numerical value (**20**)] [unit (**m**)]

Measurement

What is a measurement?

□ A measurement:

- is a direct or an indirect expression of a certain quantity with a suitable standard or unit of measurement. Thus a measuring device is needed, here, and must be calibrated and has standard units
- The **value** of a physical quantity, which is the quantitative expression of a certain physical quantity, is the product of a number (numerical value) and a unit. Thus the numerical value of the height (**20**) depends on the units (**meters**) in which it is expressed. If the units are changed to **centimeters** then the number obviously becomes **2000**. (1 meter = 100 centimeters)

Section 1.1

Classification of Physical Quantities

There are two types of physical quantities:

- ❑ **Fundamental physical quantities** (*e.g.* Length, **L**, Mass, **M** and Time, **T** (*in this course*)). They are called Standards (or base quantities).
- ❑ **Other physical quantities**: Those can be expressed in terms of the fundamental physical quantities (or standards), *e.g.* velocity (**v**), acceleration (**a**), force (**$F = m a$**), momentum (**$p = m v$**), kinetic energy (**$K = m v^2 / 2$**),.....,etc.)

Dimension: Physical nature of a quantity

□ Dimension can be expressed in terms of the three fundamental physical quantities which are called standards:

➤ Length → **L**; ➤ Mass → **M**; ➤ Time → **T**

❖ *e.g.* Physical nature of a distance is length **L** no matter whether the distance is measured in meters or inches, *i.e.* **[Distance] = L**

❖ Dimensions of other physical quantities: area **[A]**, volume **[V]**, velocity **[v]**, acceleration **[a]**, force **[F]**, ...etc can be expressed in terms of the standards **L**, **M**, and **T** which have their units as **meter**, **kilogram** and **second**, respectively. Since the velocity is simply defined as **distance/time**, the dimension of velocity is:

$$\text{Dimension} \equiv [v] = L/T$$

Dimension: Physical nature of a quantity

➤ What is the dimension of acceleration a ?

Answer: Since acceleration is defined as: **velocity/time**

$$\therefore [a] = [\text{velocity}]/[\text{time}]$$

But dimension of velocity is $[v] = L/T$ and dimension of time is $[\text{time}] = T$

Thus the dimension of acceleration is :

$$[a] = \frac{L/T}{T} = \frac{L}{T^2}$$

Dimension: Physical nature of a quantity

➤ What is the dimension of force F ?

Answer: Since force is defined as: (mass)*(acceleration)

$$\therefore [F] = [\text{mass}] * [\text{acceleration}]$$

But dimension of mass is $[\text{mass}] = M$ and the dimension of acceleration is found as:

$$[a] = L/T^2$$

Thus the dimension of force is : $[F] = M \quad L/T^2$

Units *and* Systems of Units

□ A Unit

- is a special physical quantity which is defined and adopted by convention, with which other particular quantities of the same type are compared to express their value. e.g. **kg**, **m**, **cm**, **foot**, **second**,..etc

□ Two Well-Known Systems of Units:

- ✓ **International System** which is abbreviated as **SI** (French name)
e.g Units: **kg** for **mass**, **meter** for **distance** and **second** for **time**
- ✓ **The British System**
e.g Units: **Slug** for **mass**, **foot** for **distance** and **second** for **time**

Units Standards

- When we say “**This house is big**”
- Person 1: “**Yes, it is big**”.



Units Standards

- When we say “**This house is big**”
- Person 2: “**No, it is not a big house**”.



Units Standards

- Which one is correct?
- We need a standard that every body agrees upon.



Note: Units of standards **L**, **M**, and **T** can also be used to specify dimension.

Units Standards

- Thus the dimensions found in terms of **L**, **M**, and **T** can also be written as:

$$[\text{Distance}] = m$$

$$[v] = m/s$$

$$[a] = m/s^2$$

$$[F] = \text{kg} \cdot m/s^2$$

Note: Units of standards L, M, and T are meter, kg and second, respectively, in **SI** system.

SI Units: Time, T

□ Second:

- Previously defined as a fraction of the mean solar day
- Currently defined to be the time required for **9,192,631,770 cycles** of wavelength of a transition in cesium atom

SI Units: Length, L

□ Meter:

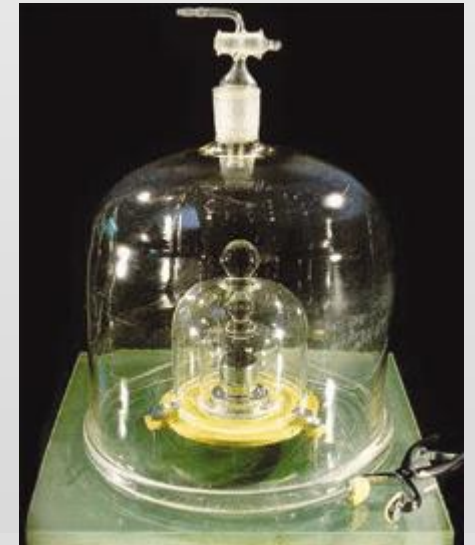
- Previously defined as one ten-millionth of the distance between the North Pole and the equator.
- Currently defined to be the distance that light travels in a vacuum in $1/2,99,792,458$ of a second



SI Units: Mass, M

□ Kilogram:

- Defined as the mass of a particular cylinder of **Platinum-Iridium** alloy. (old definition; abandoned)
- Defined in terms of the Planck constant, $h=6.626 \times 10^{-34} \text{ kg m}^2\text{s}^{-1}$, with researchers are able to make precise mass measurement using equipment such as Kibble balance. (recent definition)



Other Fundamental quantities and SI Units

□ Temperature: Units of **K**

□ Electric Current: Units of **A**

□ Luminous Intensity: Units of **Candela**

□ Amount of Substance: Units of **Mole**

Note: SI system of units is used by most people and will be used in this course.

Units *and* Dimensions

Example

Your height is 180. What is the dimension of this height? *i.e.* [height]=?

a) Second

b) Kg

c) L

d) Slug

e) Pound

Units *and* Dimensions

Example

The height of a building is measured to be 10 *meters*.
What is the dimension of this building?

a) *cm*

b) *m*

c) *Foot*

d) *Slug*

e) *Kg*

Unit Prefix

deka-	da	10^1
hecta-	h	10^2
kilo-	k	10^3
mega-	M	10^6
giga-	G	10^9
tera-	T	10^{12}
deci-	d	10^{-1}
centi-	c	10^{-2}
milli-	m	10^{-3}
micro-	μ	10^{-6}
nano-	n	10^{-9}
pico-	p	10^{-12}

Unit Prefix: Length

1 nanometer = $1 \text{ nm} = 10^{-9} \text{ m}$ (atomic size)

1 micrometer = $1 \text{ }\mu\text{m} = 10^{-6} \text{ m}$ (bacteria)

1 millimeter = $1 \text{ mm} = 10^{-3} \text{ m}$ (pin head)

1 centimeter = $1 \text{ cm} = 10^{-2} \text{ m}$ (finger)

1 kilometer = $1 \text{ km} = 10^3 \text{ m}$ (University ring)

Orders of Magnitude: Powers of Ten

- **Order of magnitude:** The order of magnitude of a certain quantity is the power of ten of the number that describes this quantity.
- *e.g. for $x = 10$, the quantity x has one order of magnitude.*
- *e.g. for $x = 10^3$ then x has three orders of magnitude*

Unit Prefix: Mass

1 microgram = $1 \mu\text{g} = 10^{-6} \text{ g}$ (dust particle)

1 milligram = $1 \text{ mg} = 10^{-3} \text{ g}$ (grain of salt)



1 gram = $1 \text{ g} = 10^{-3} \text{ kg}$ (paper clip)

Unit Prefix: Time

$$1 \text{ nanosecond} = 1 \text{ ns} = 10^{-9} \text{ s}$$

(time for light to travel 0.3 *m*)

$$1 \text{ microsecond} = 1 \text{ }\mu\text{s} = 10^{-6} \text{ s}$$

(space shuttle to travel 8 *mm*)

$$1 \text{ millisecond} = 1 \text{ ms} = 10^{-3} \text{ s}$$

Units: The British System

✓ Used in a few countries.

• Length: $1 \text{ inch} = 2.54 \text{ cm}$; $1 \text{ ft} = 0.3048 \text{ m}$; $12 \text{ inch} = 1 \text{ ft}$; $1 \text{ yard} = 0.914 \text{ m}$

• Force: $1 \text{ pound (lb)} = 4.45 \text{ Newtons}$

• Mass: $1 \text{ slug} = 14.59 \text{ Kg}$; $1 \text{ Kg} = 2.205 \text{ lb}$

Note: Use the conversion factors in the appendix of your textbook

